

Past study & next study plans for Slip Stacking

March 1st 02

Kiyomi Koba

Momentum aperture scan

Phase rotation at Booster extraction

RF function

Frequency separation

Frequency function

Two batches injection and slipping

Shot A242 2

SNP V1.44

Console 18

Mon 30-APR-01 23:12 Pri=1

Console Location 18,
Snapshot Plot

30-APR-2001 28:12

5.389

16
10
.25
1.2

12
5
.1875
.9

Y= I:BLMON nsec
I:RPOS mm
I:IBEAMM E12
I:RFSUM MV

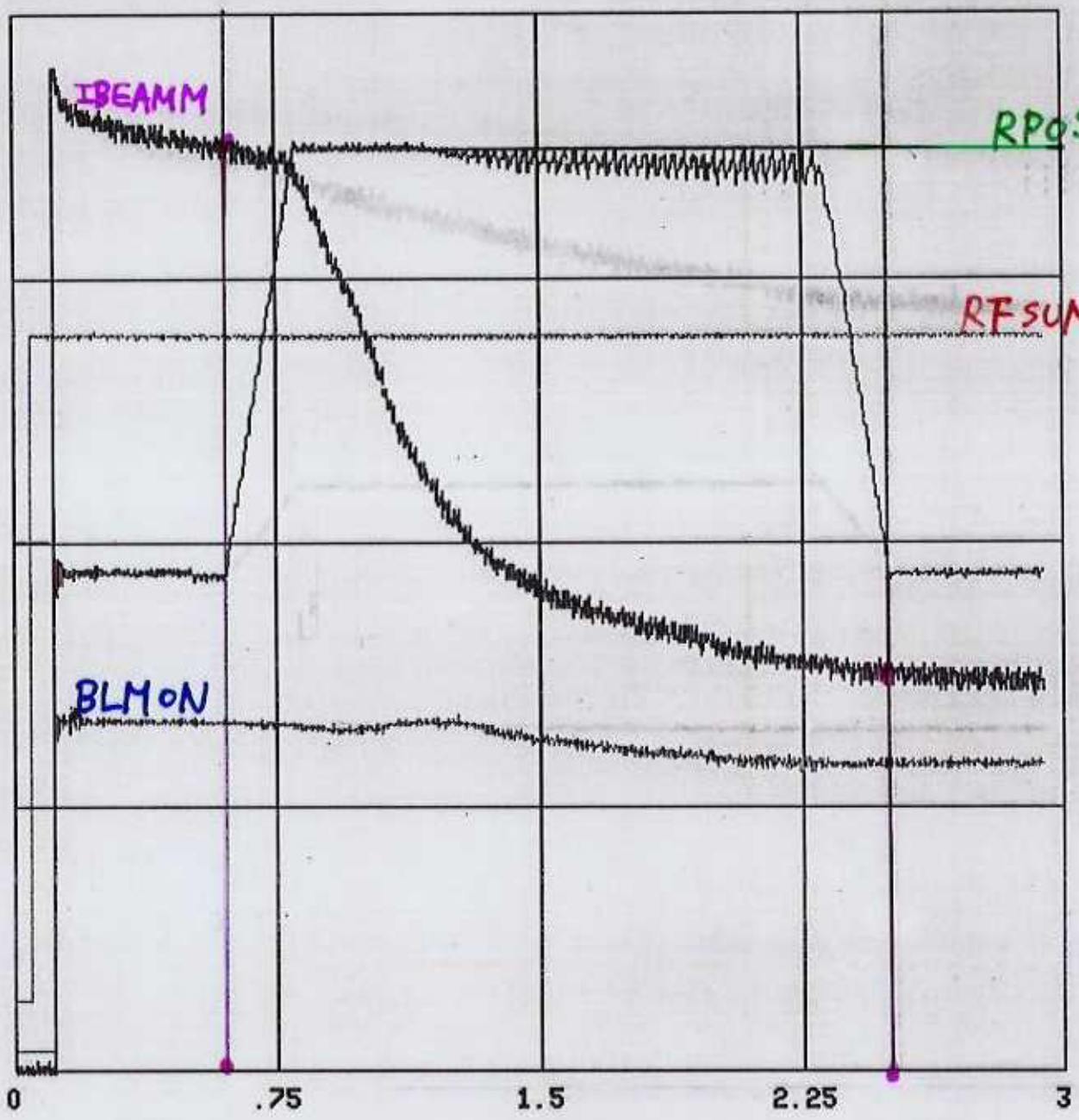
8
0
.125
.6

(685 Hz)
(685 Hz)
(685 Hz)
(685 Hz)

4
-5
.0625
.3

0
-10
0
0

WAIT FOR EVENT

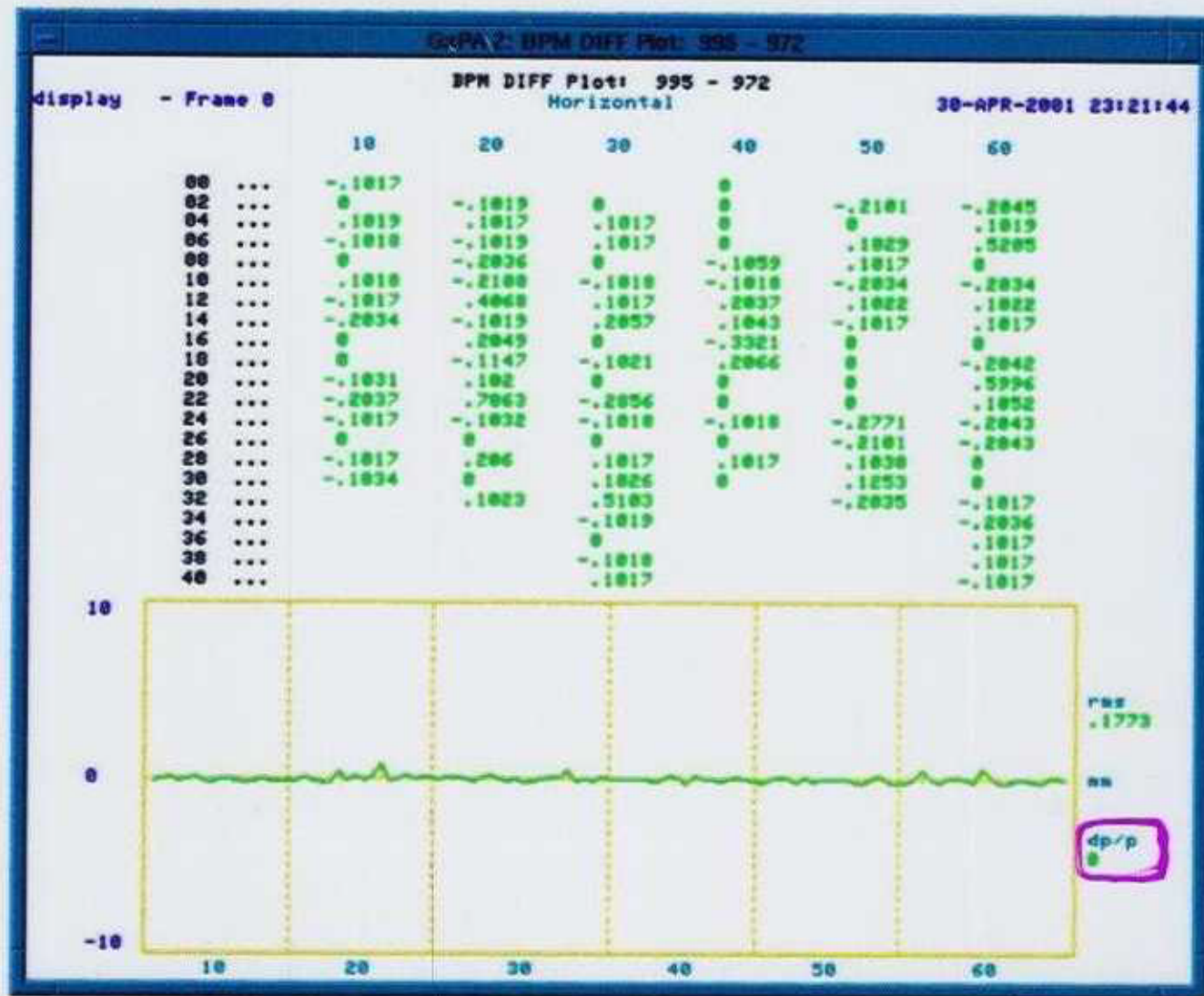


Seconds Trig = EVENT 2E

engineering units

6.10
14.16

6.02



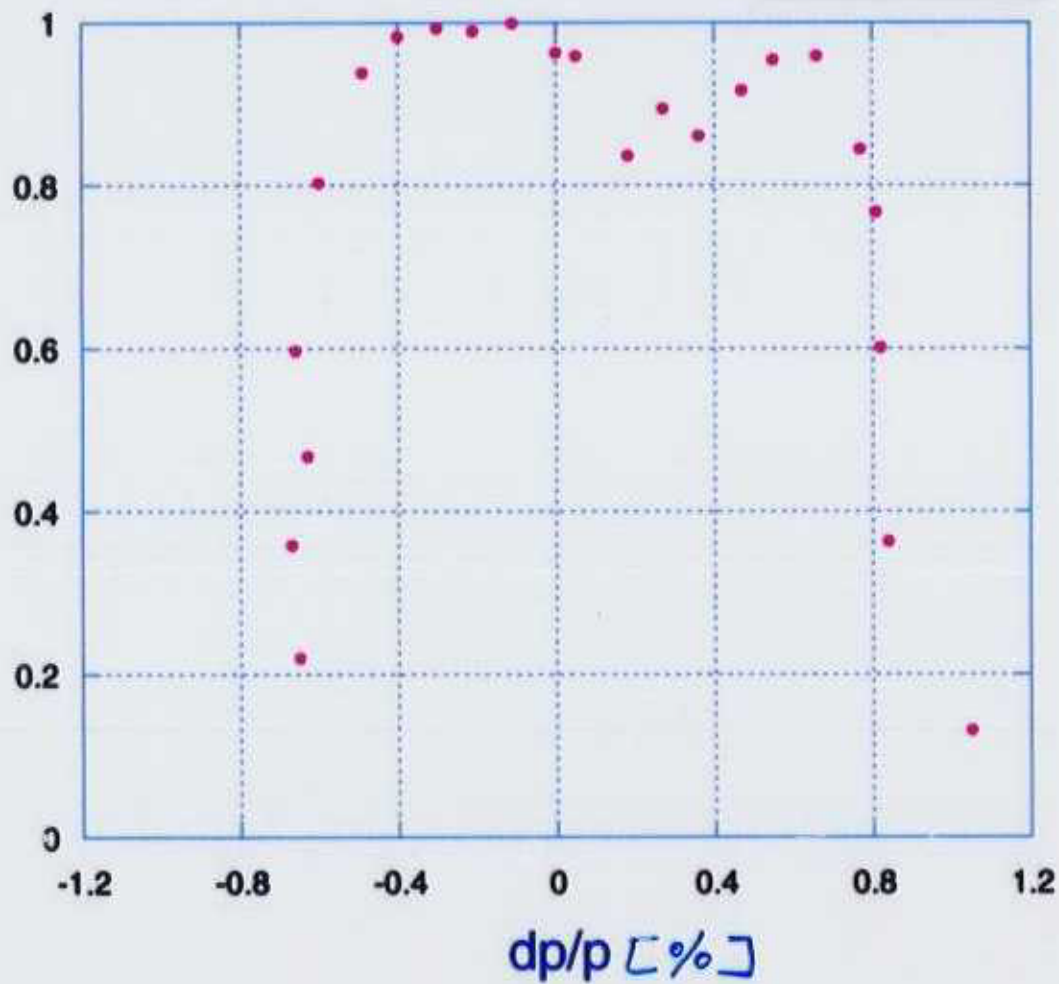
Close

Duplicate

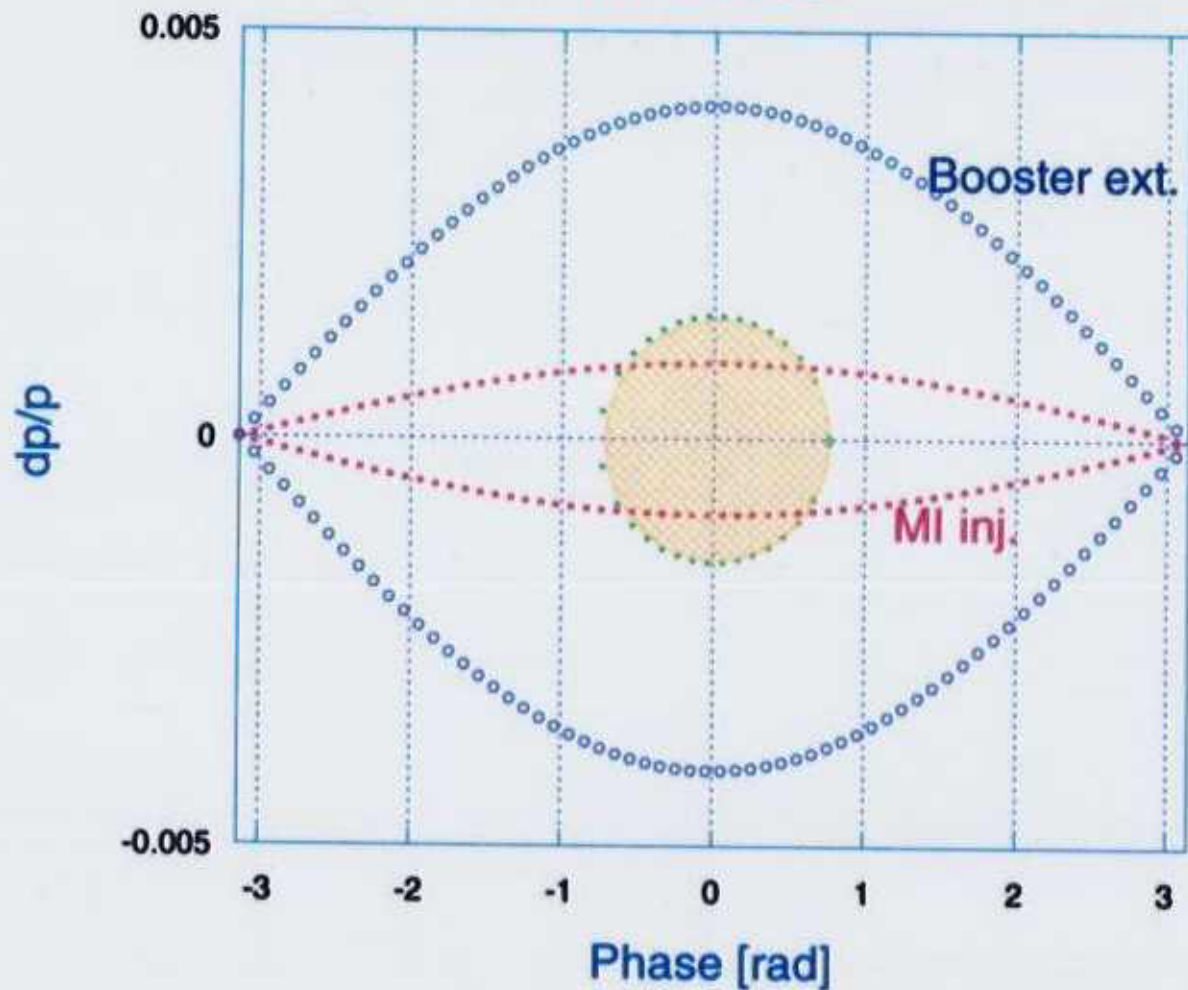
Apr./30/'01

• $I(1.87)/I(0)$

$I(1.87)/I(0)$

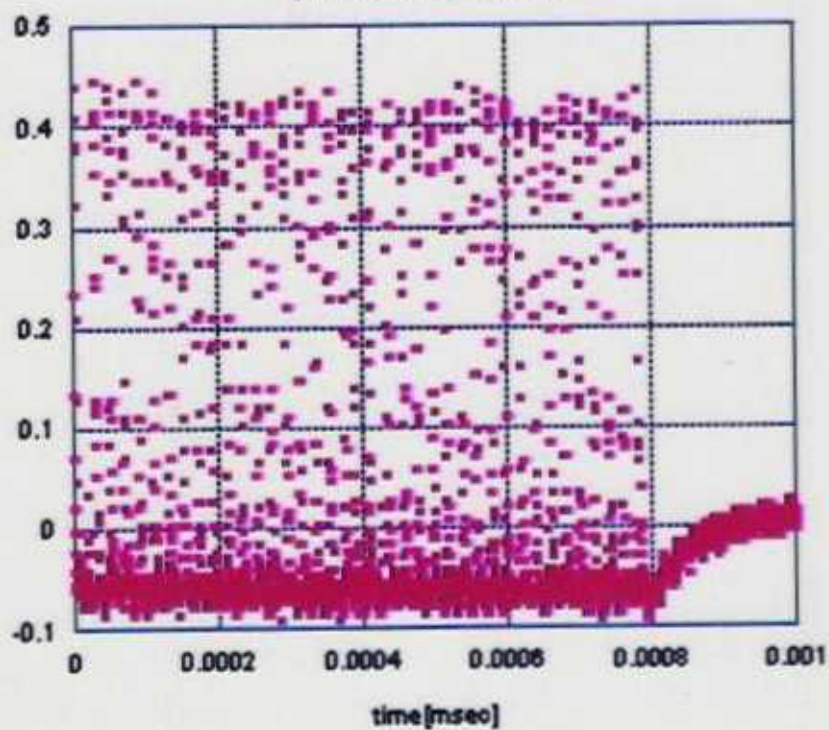


RF bucket

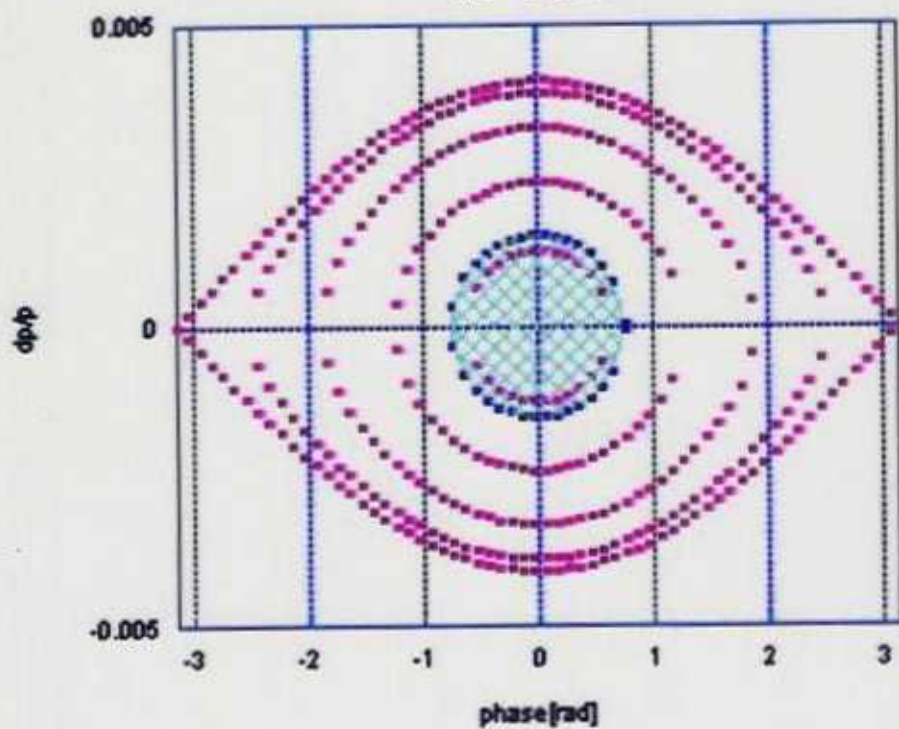


$\beta = 0$

phase rotation OFF

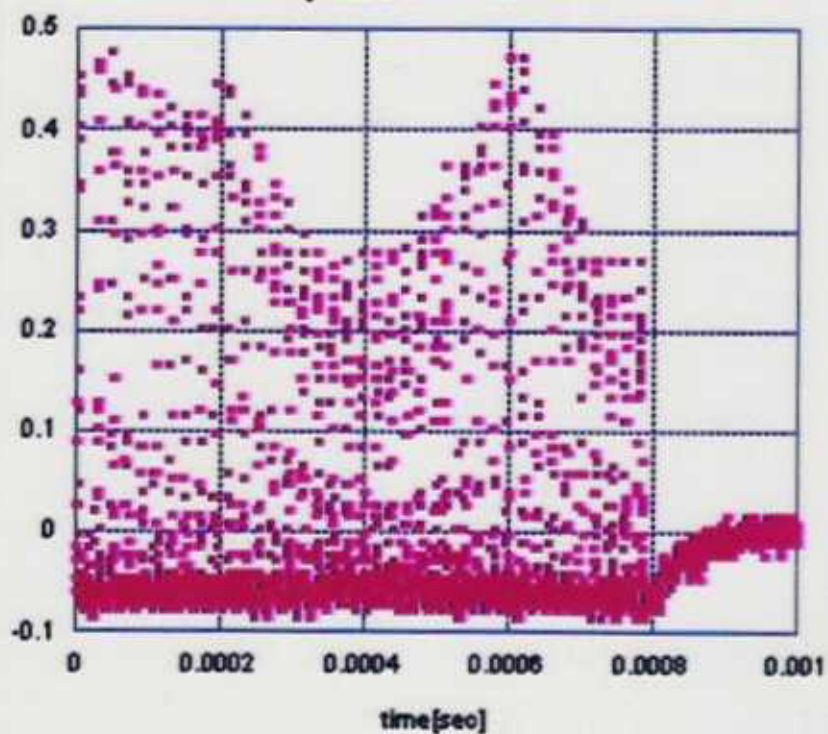


$V_{rf} = 440 \text{ kV}$

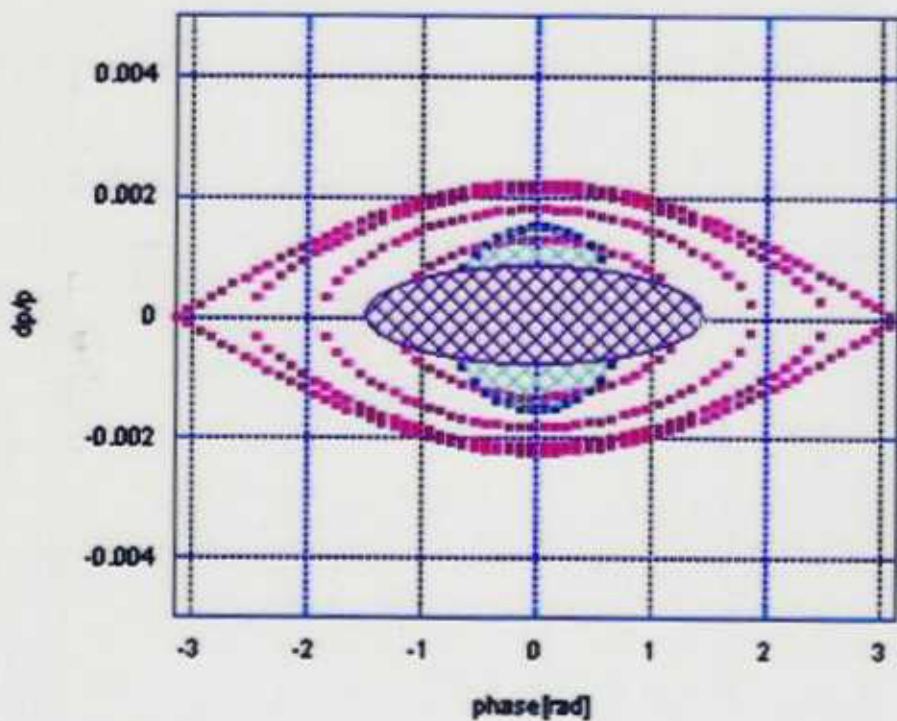


- B

phase rotation ON



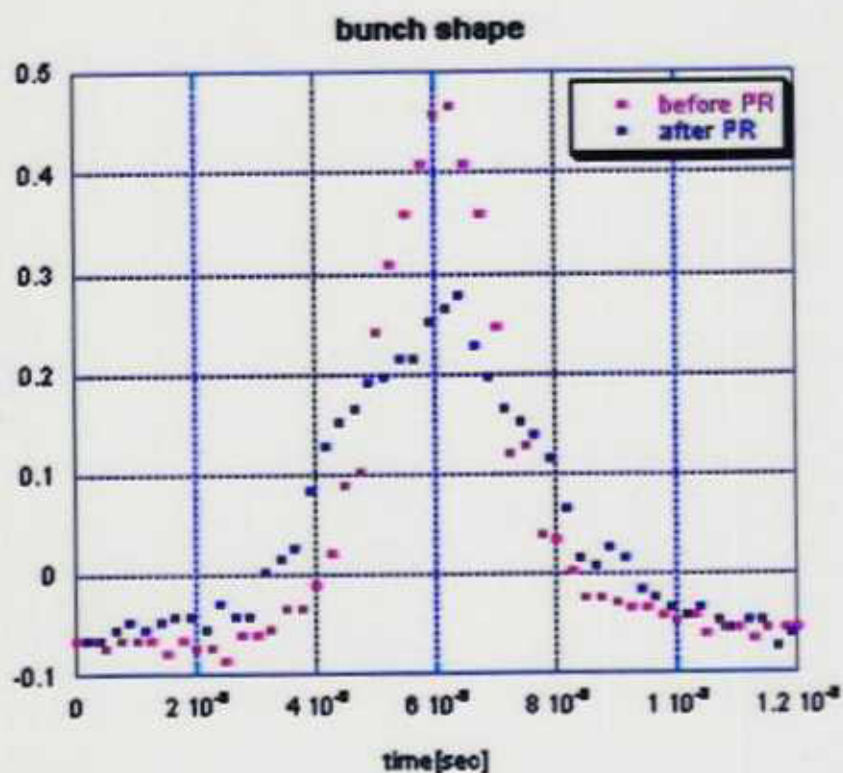
Vrf=132kV



$$(\phi, \Delta p/p) = (0.242\pi, 0) \quad (0, 0.0015)$$

$$\Downarrow \frac{1}{4} \times \frac{1}{f_{sy}} \approx 195 \mu\text{sec}$$

$$(0, 0.0082) \quad (0.478\pi, 0)$$

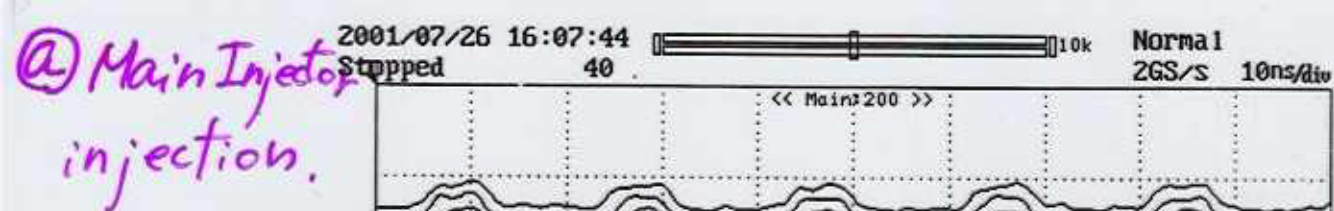


bunch length

$$0.242\pi$$

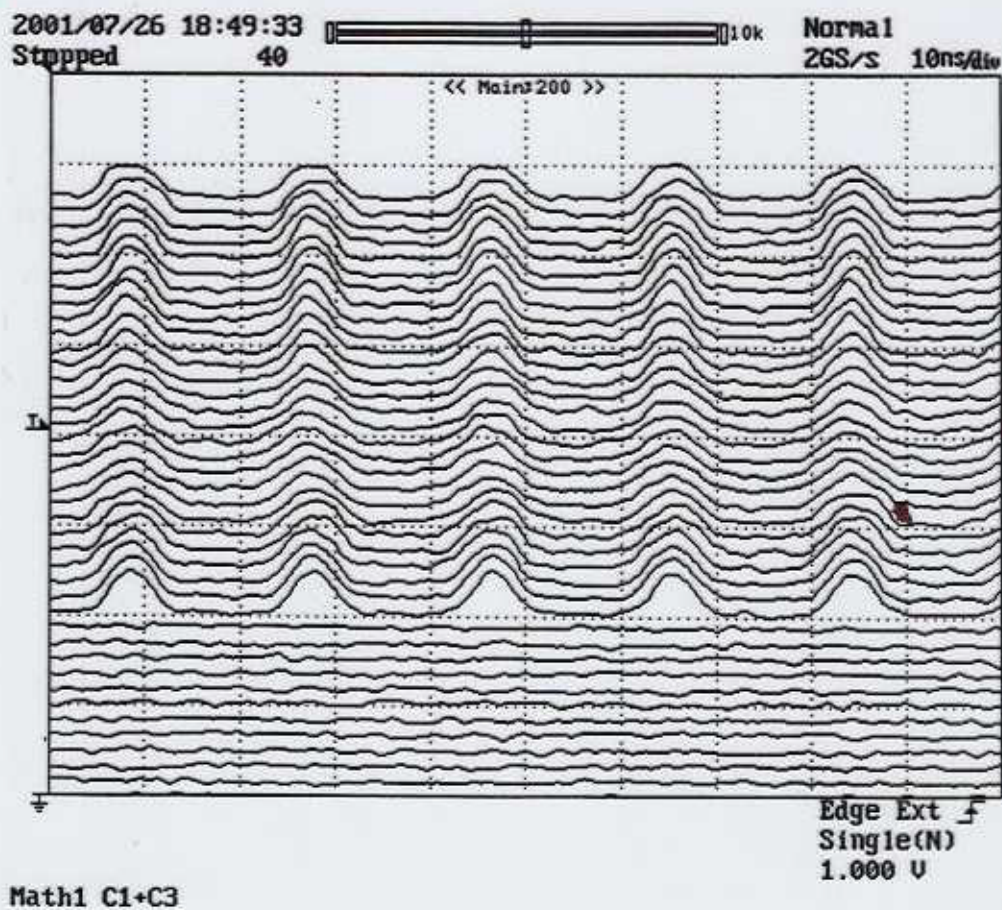


$$0.403\pi$$



PR OFF

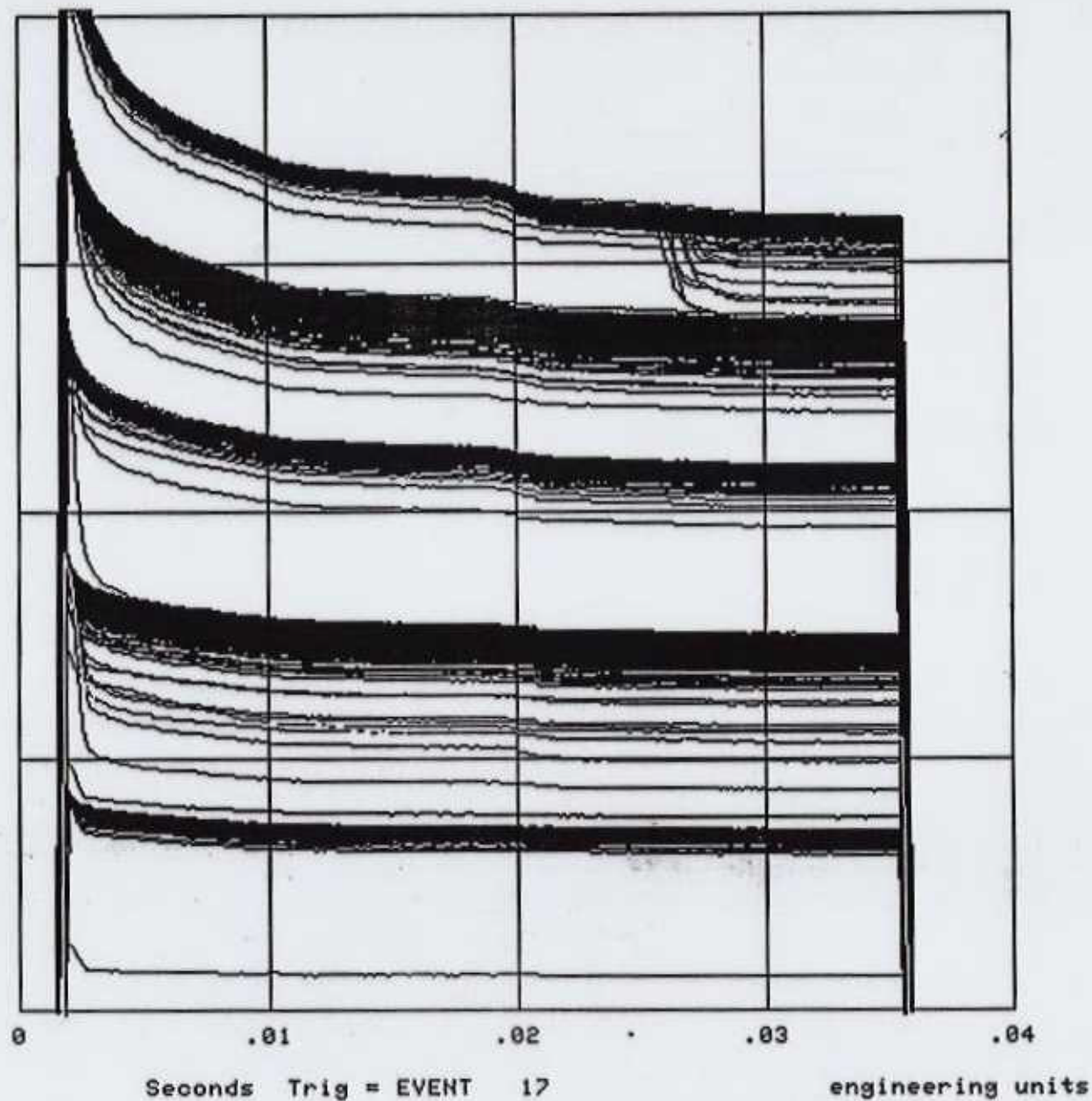
bucket height $\frac{4\%}{p}$
= 0.00087



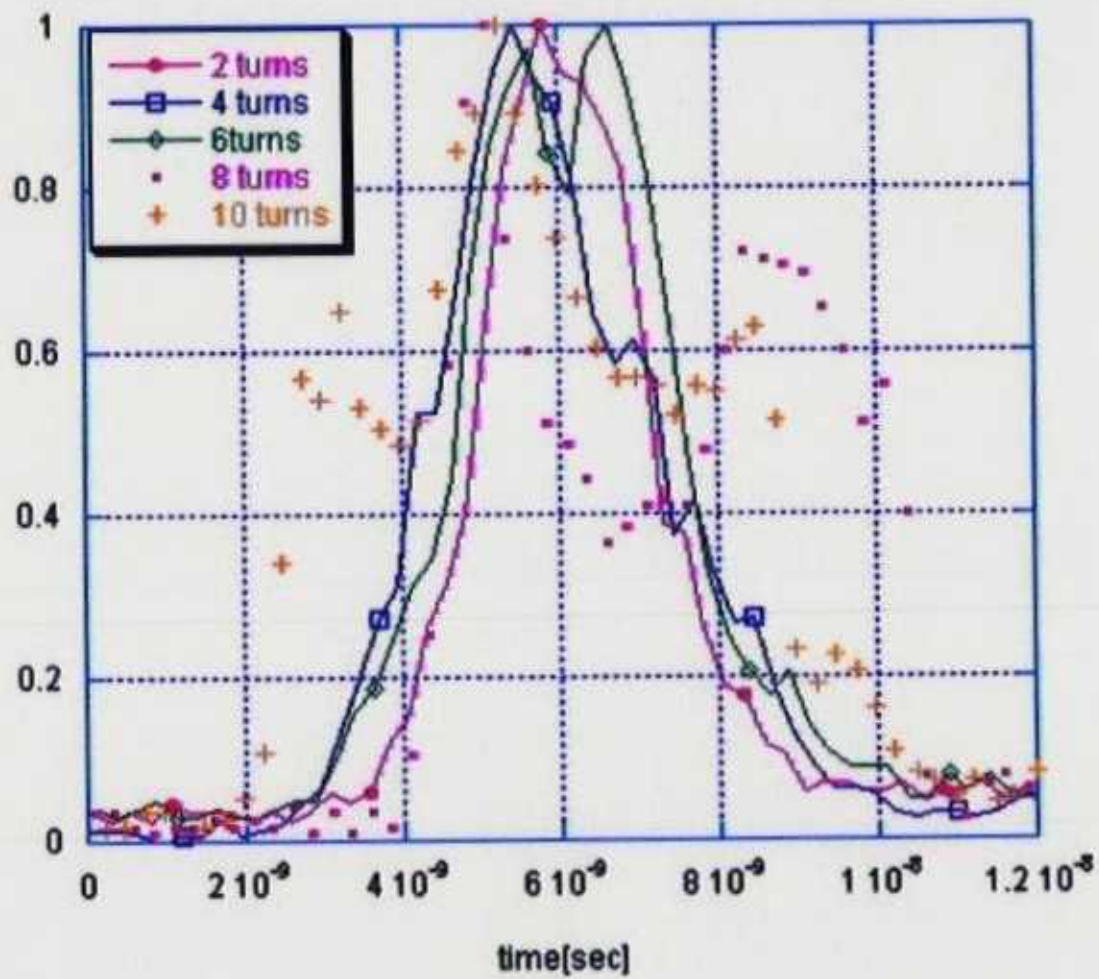
PR ON

Y= B:CHG0 E12

(7.1 KHz)

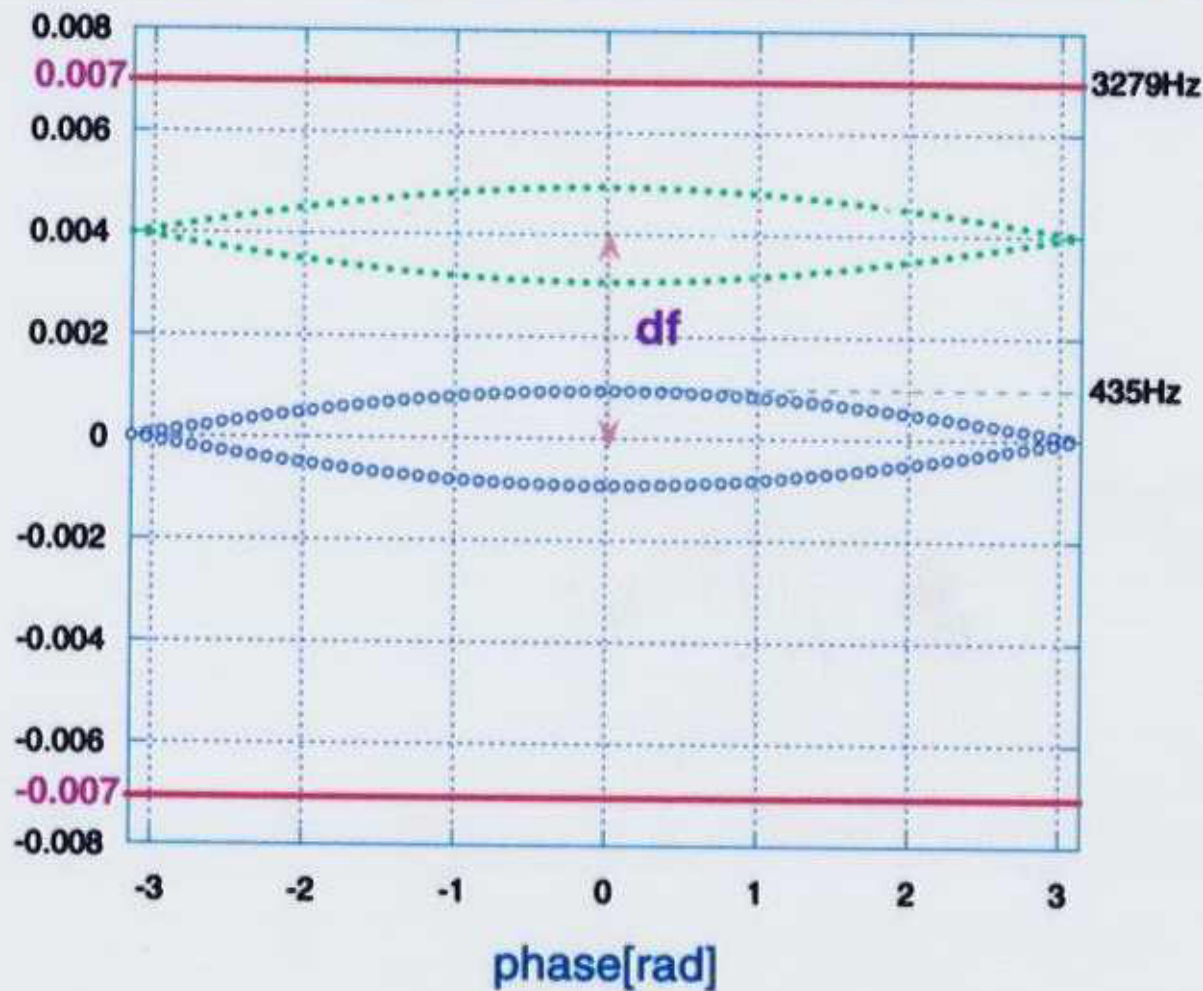


PLOTING



dp/p

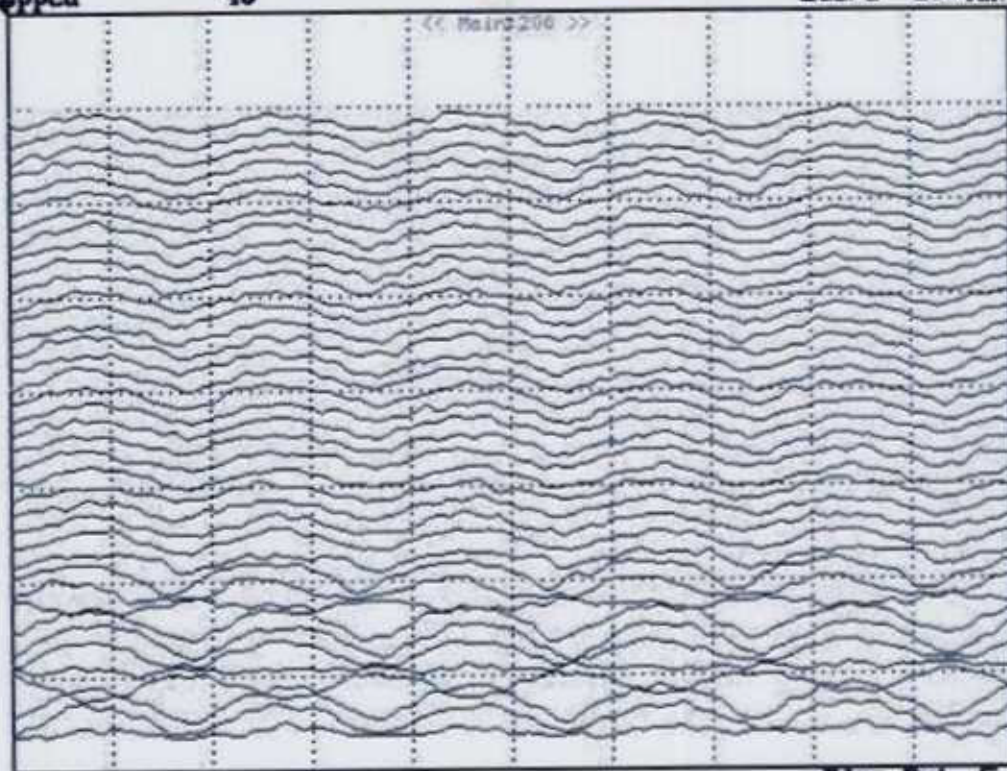
Frequency separation

 df 

2001/09/18 16:40:20
Stopped 40



Normal
2GS/s 10ns/div



$$\Delta f = 400 \text{ Hz}$$

Edge Ext 3
Single(N)
1.000 V

Close

Duplicate

2001/09/18 16:56:57

Stopped

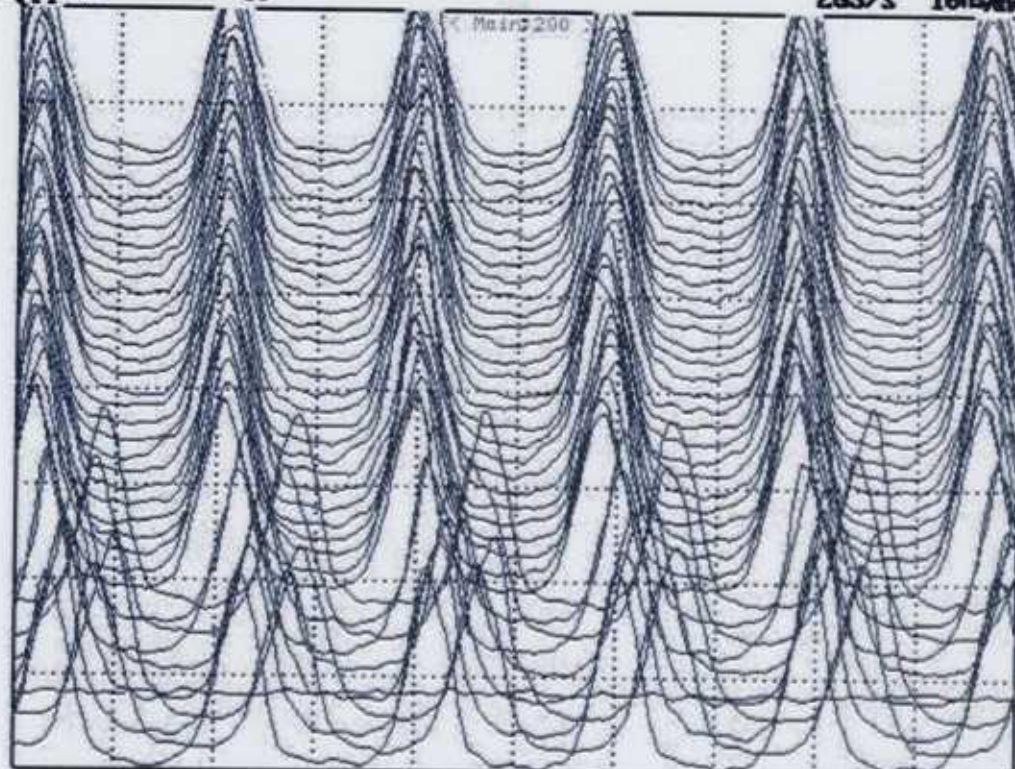
40



Normal

2GS/s

10ns/div



$$\Delta f = 1000 \text{ Hz}$$

Edge Ext f
Single(N)
1.000 V

Close

Duplicate

@ 0.12 sec

↳ @ 0.27 sec

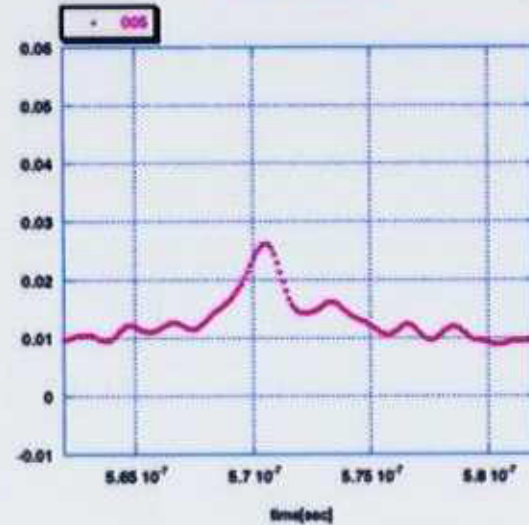
@injection



df= 400Hz



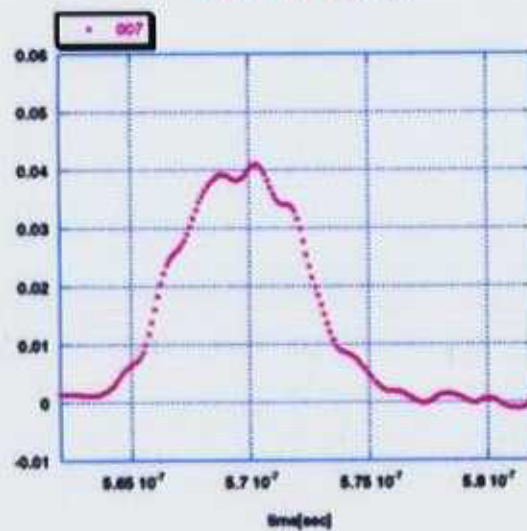
df= 600Hz



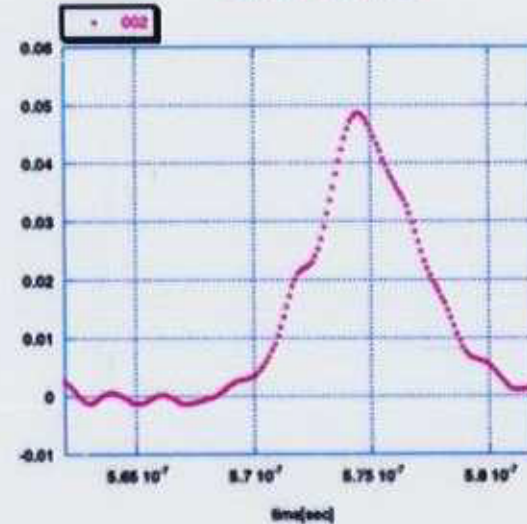
df= 800Hz



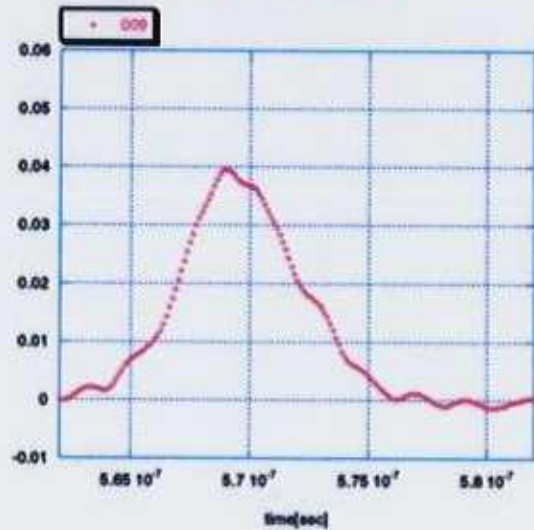
df= 1000Hz



df= 1200Hz



df=1400Hz

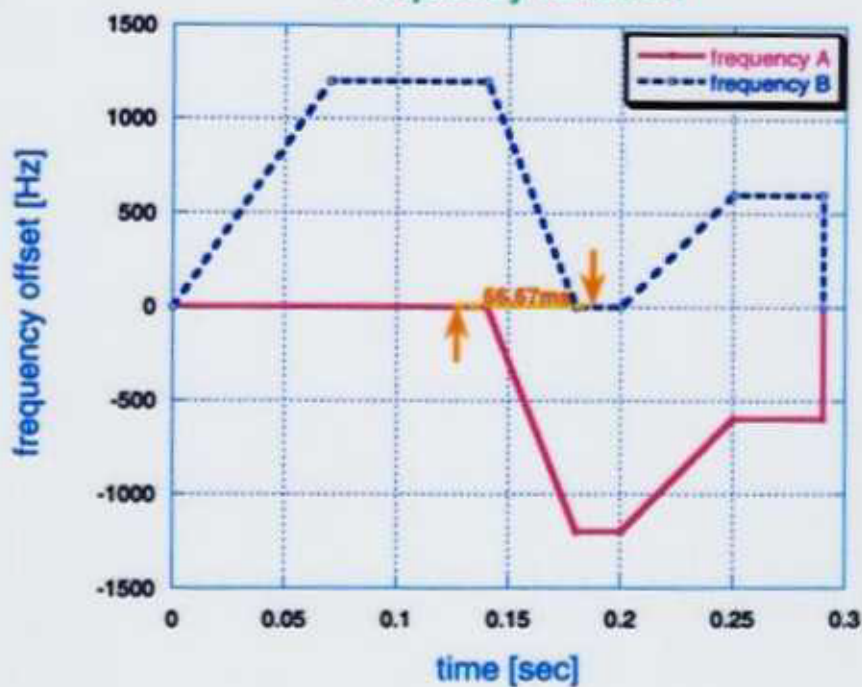


df=1600Hz

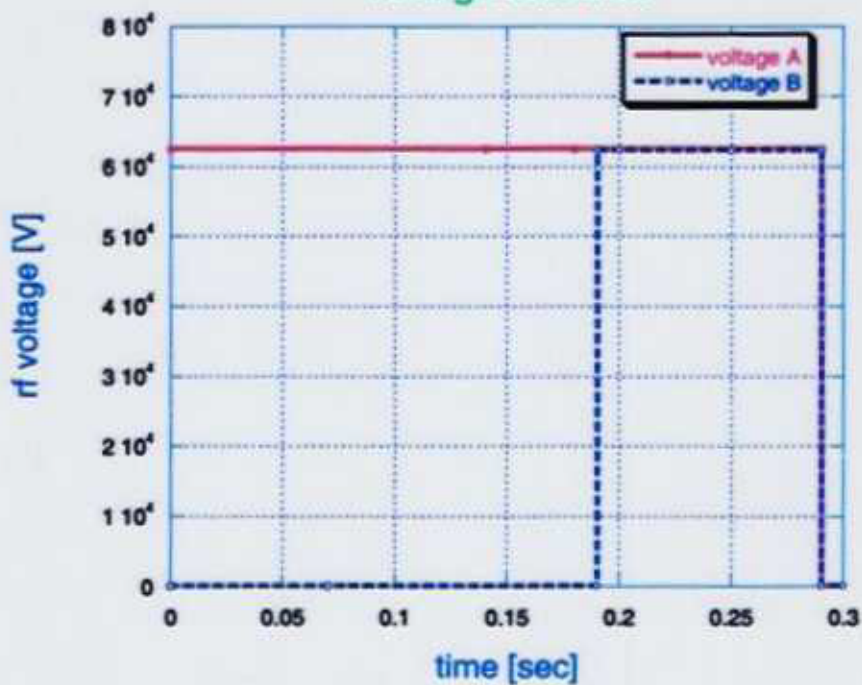
df=1800Hz



Frequency function



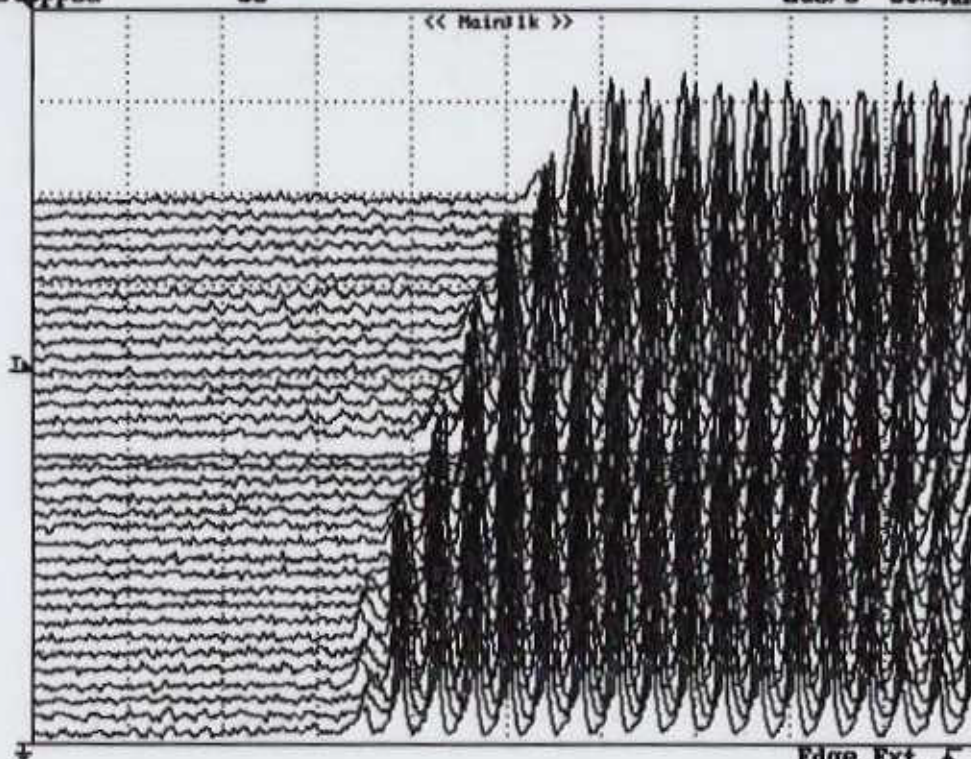
voltage function



2001/10/07 16:30:02
Stopped 35



Normal
2GS/s 50ns/div

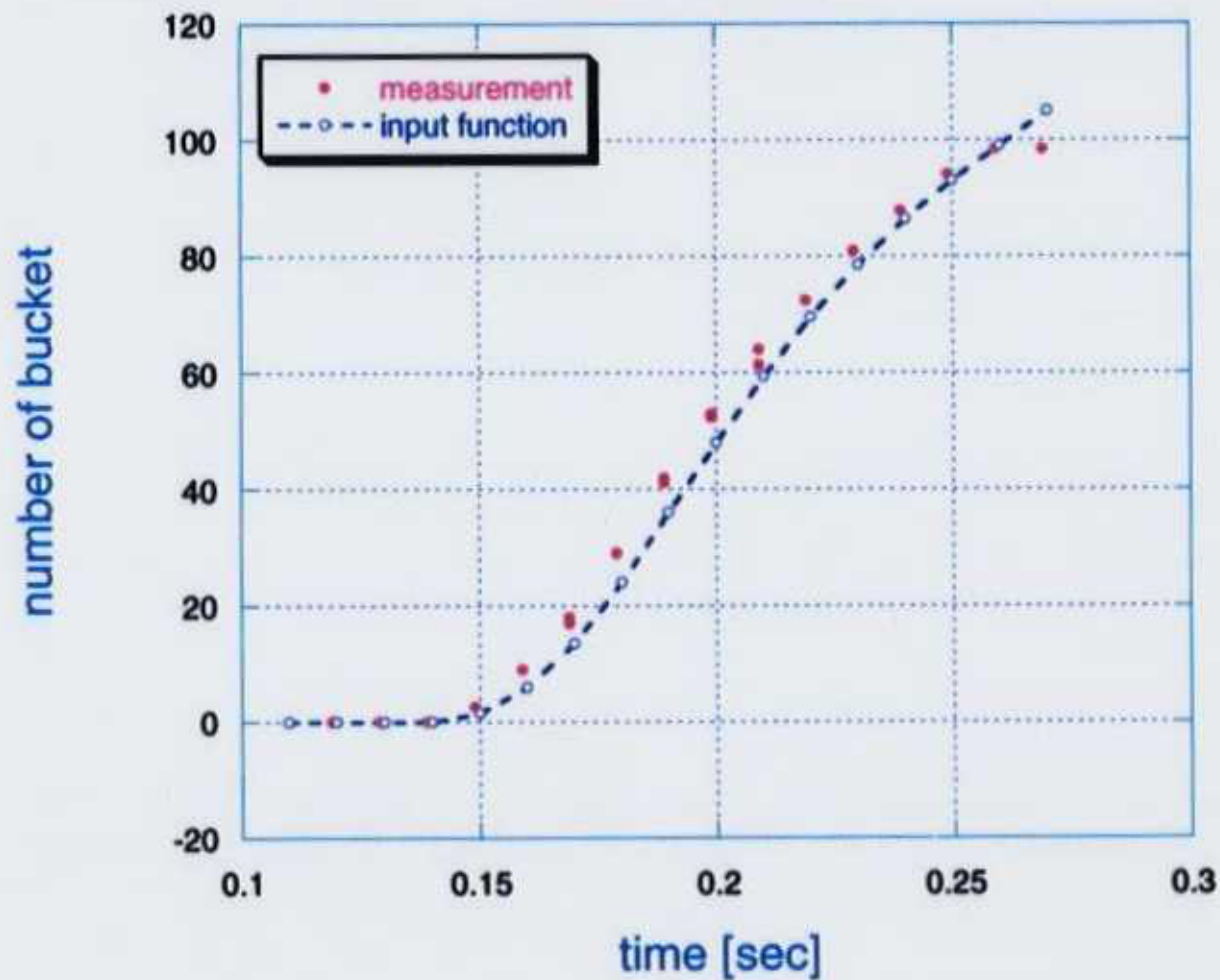


Edge Ext \nearrow
Single(N)
1.000 V

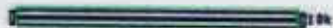
Nath1 C1+C3

HISTORY	
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Display Mode	One <input type="checkbox"/> All
<input type="radio"/> Start Record	0
<input type="radio"/> End Record	-34
Show Map	
Search Mode	OFF

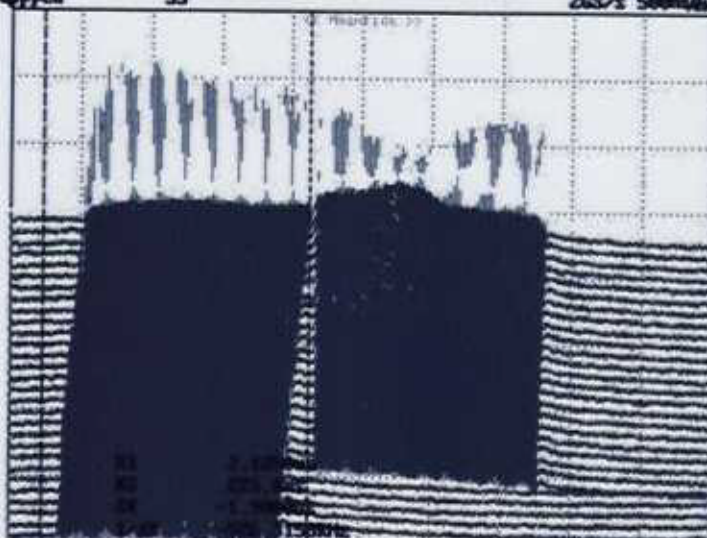
RF function



2001/09/20 13:17:23
Stopped 35



Normal
2GS/s 500mV

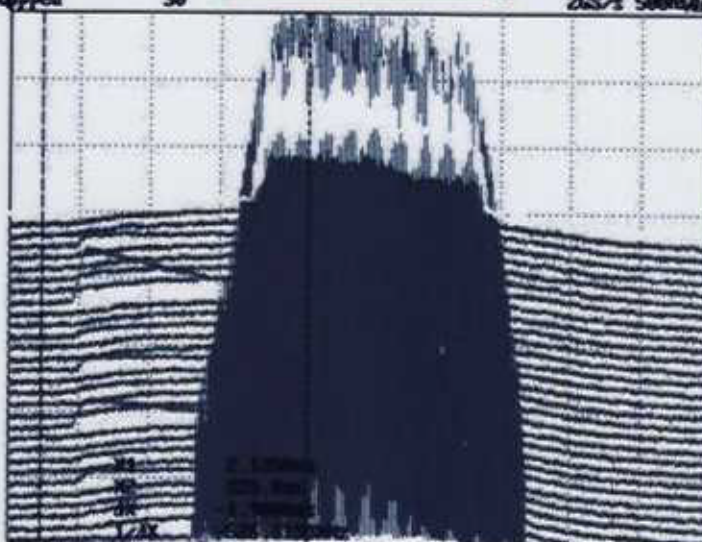


COPY	
Copy to	File
Format	
TIFF	
Color	
ON(Reverse)	
Comment	
Compression	
OFF	<input checked="" type="checkbox"/> ON
File List	
File Name	

2001/09/20 14:17:21
Stopped 30



Normal
2GS/s 500mV



HISTORY	
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Display Mode	
One	<input checked="" type="checkbox"/> All
Start Record	
End Record	-29
Show Map	
Search Mode	
OFF	

GxSA: Fast Time Plot

FTP V5.38

Console 18

SA

Sun 7-OCT-01 15:37 Print



Close

Duplicate

Plan

Synchronize two batches re-capture

Optimize RF function

- Frequency separation
- Emittance preservation during acceleration and deceleration
- Re-capture voltage, angle and phase

High intensity beam injection with Booster damper

Beam loading effects

ACCELERATOR DEPARTMENT
Internal Report

STABILITY OF PHASE OSCILLATIONS UNDER TWO APPLIED FREQUENCIES

F.E. Mills
June 2, 1971

Abstract

Stability criteria are developed for the stability of motions of particles in a bucket while subjected to an acceleration voltage at small frequency difference $\Delta\nu$. The motion is stable if $\Delta\nu \geq 10\nu_s$ where ν_s is the phase oscillation frequency. This is essentially the same criterion as that the buckets not touch.

I. Introduction

We would like to investigate the stability of particle motion in nearly stationary rf buckets when subjected to a neighboring rf frequency. Intuitively we surmise that the particles in a bucket are subjected to, primarily, the difference frequency of the two rf systems, and that since the perturbing voltage appears at all phases, resonances will appear in the phase oscillations when $\Delta\nu = n\nu_s$, where $\Delta\nu$ is the difference frequency, ν_s is the phase oscillation frequency and $n = 1, 2, \dots$. Clearly $n = 1$ corresponds to the excitation of coherent phase oscillations, $n = 2$ to bunch shape type oscillations (or half integral resonance), $n = 3$ and higher to the type of resonances which determine limits of stability of motion. We note further that the frequency of phase oscillations decreases with amplitude, so that if a stability criterion is found for small amplitude motion, larger amplitude will be more stable, for a given frequency difference. The purpose of this note is to estimate the stopband widths associated with these resonances.

PRODUCTION OF BEAMS WITH HIGH LINE-DENSITY BY AZIMUTHAL COMBINATION OF BUNCHES IN A SYNCHROTRON

D. Boussard* and Y. Mizumachi**

Summary

Simultaneous acceleration of several beams in the machine by several RF fields of slightly different frequencies was already considered a long time ago^{1,2}. They rotate at different frequencies, the bunches periodically coincide in azimuth, thus producing high local line density. Bunches rotating at different frequencies can be produced either outside the machine (e.g. in the injector) or even inside by appropriate modulation of the RF cavities. These techniques will be used in the p-p project at CERN. A high density proton beam, necessary for antiproton production, is obtained in the CPS by azimuthal combination either at the injection or at the ejection level. On the other hand, the antiproton bunches in the SPS are azimuthally combined before storage in order to reach the design luminosity. Computer simulation and manipulations of these procedures, as well as experimental results already obtained at the CPS, are presented.

Bunch behaviour when submitted to two RF waves

We assume that two sets of bunches, called B_1 and B_2 , having different energies are circulating in the machine. Each beam is hopefully held bunched by two RF wave of frequency f_1 , f_2 respectively. The question is to see whether bunches B_1 feel only the frequency f_1 and vice-versa. Intuitively we know that if the frequency difference is large the frequency f_2 is far from being synchronous with bunches B_1 and its effect will be small. More precisely the total RF wave can be considered as the wave f_1 strongly modulated in amplitude and phase (100% modulation) at the difference frequency $\Delta f = f_2 - f_1$. From this, one expects a large effect when the ratio $\alpha = \Delta f / f_1$ (f_1 : synchrotron frequency corresponding to one wave) becomes of the order of unity. It has been shown²) that an approximate condition for beam independence is that the buckets do not overlap, which, for stationary buckets, corresponds to the condition $\alpha > 4$. A computer simulation has been made in order to evaluate the bunch distortions as a function of α and the bunch size³). The bunch is assumed to be matched at the beginning of the process. Fig. 1 shows a typical case $\alpha = 4$, for various bunch sizes. The condition $\alpha > 4$, already mentioned, does not correspond to a sharp threshold, even for small bunches. Distortion increases rapidly for larger bunches.

Estimates for much longer drifting periods have been obtained in an experiment on the SPS machine. On a 10 GeV/c "flat bottom" two RF cavities were used to hold the bunches (almost full buckets) at frequency f_1 , while the third cavity was powered at frequency f_2 . Bunch emittance was estimated from the height of a wide band pickup electrode signal. Small blow-up after 50 synchrotron periods is obtained for $\alpha = 5.6$, while for $\alpha = 4.4$ the effect of frequency f_2 appears clearly after a few periods.

2. Combination of two bunches

When drifting the two sets of bunches periodically coincide in azimuth, which doubles the local line density. This high line density beam can be used directly, for instance to produce short and intense bursts of secondary particles (\bar{p}) after fast ejection. The bunch pairs can also be combined in a single large bucket at a frequency $(f_1 + f_2)/2$. Here, the critical parameter is the final beam emittance. Minimum blow-up requires a small frequency separation and relatively small bunch distortion, which are unfortunately two contradictory requirements.

a) First example, CPS injection^{4,5})

Bunches B_1 are produced in one CPS booster ring (or possibly by two CPS booster rings vertically recombined⁶) whose RF frequency is set to f_1 . A group of five CPS cavities is driven by f_1 , with the proper phase and amplitude to match bunches B_1 . Bunches B_2 coming from another booster ring are trapped in the same way (5 cavities, f_2). Bunches B_1 and B_2 are separated by at least one RF period and must drift by $5(+1, -0)$ RF periods to be superimposed. As the bunch area to bucket area ratio is small (8 mrad/18 mrad) the expected bunch distortion is little. By counting an integer number of periods of the difference frequency $f_2 - f_1$, one generates a trigger pulse which starts the combination. All ten RF cavities are then connected to the normal phase loop system and their voltage set to the maximum (20 kV) to provide maximum acceptance (~ 50 mrad). In order to avoid phase transients, the phase lock system is pre-synchronized on f_1 during the drifting period. If frequencies f_1 and f_2 are held constant the two beams spiral inwards because of the rising magnetic field which limits α to about 5. They can also be programmed to give no radial displacement which allows more flexibility.

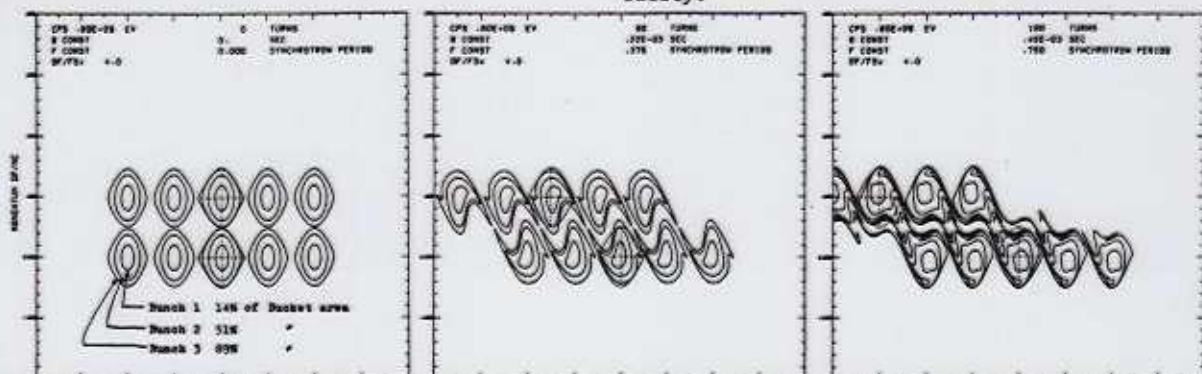
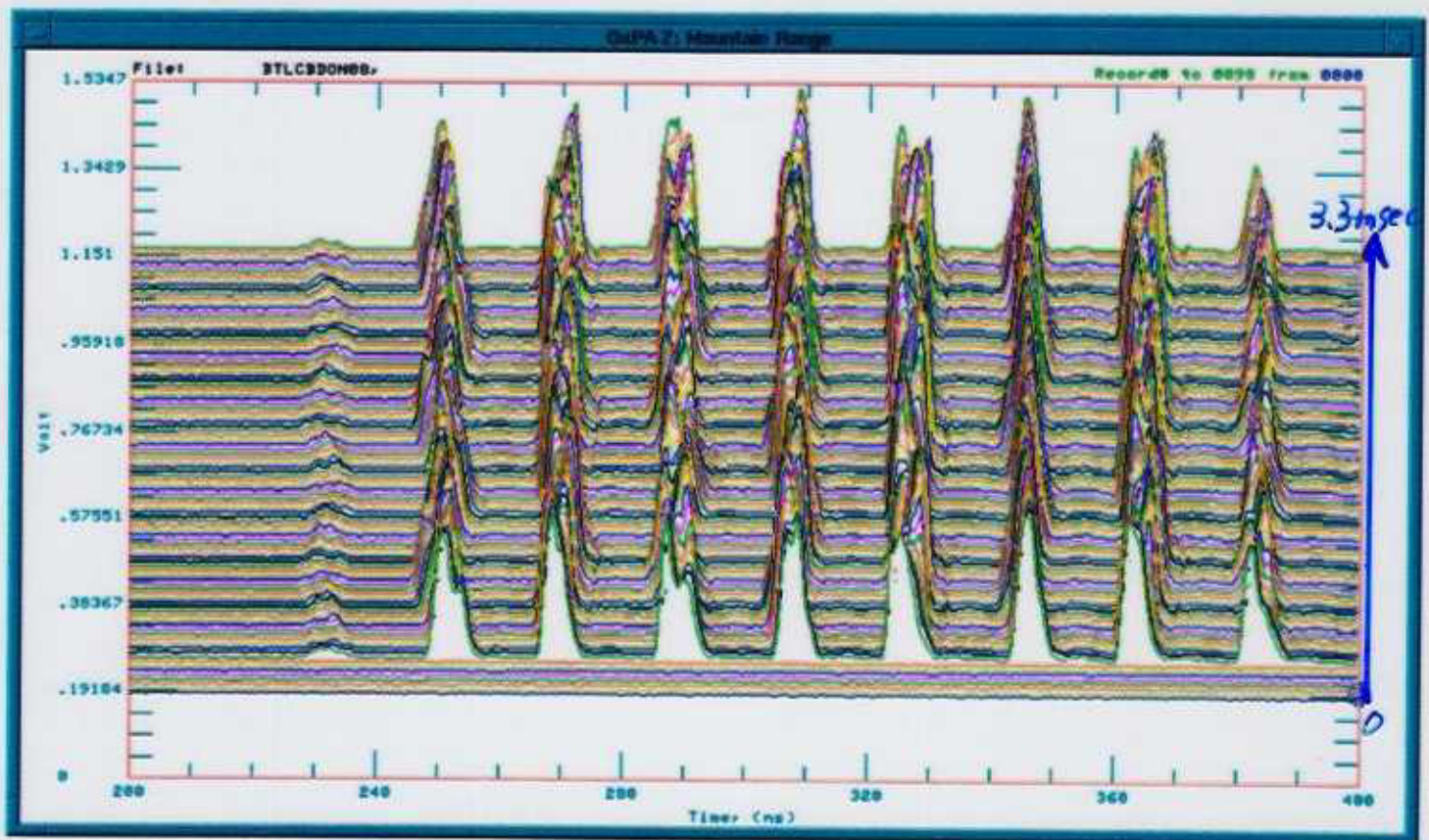
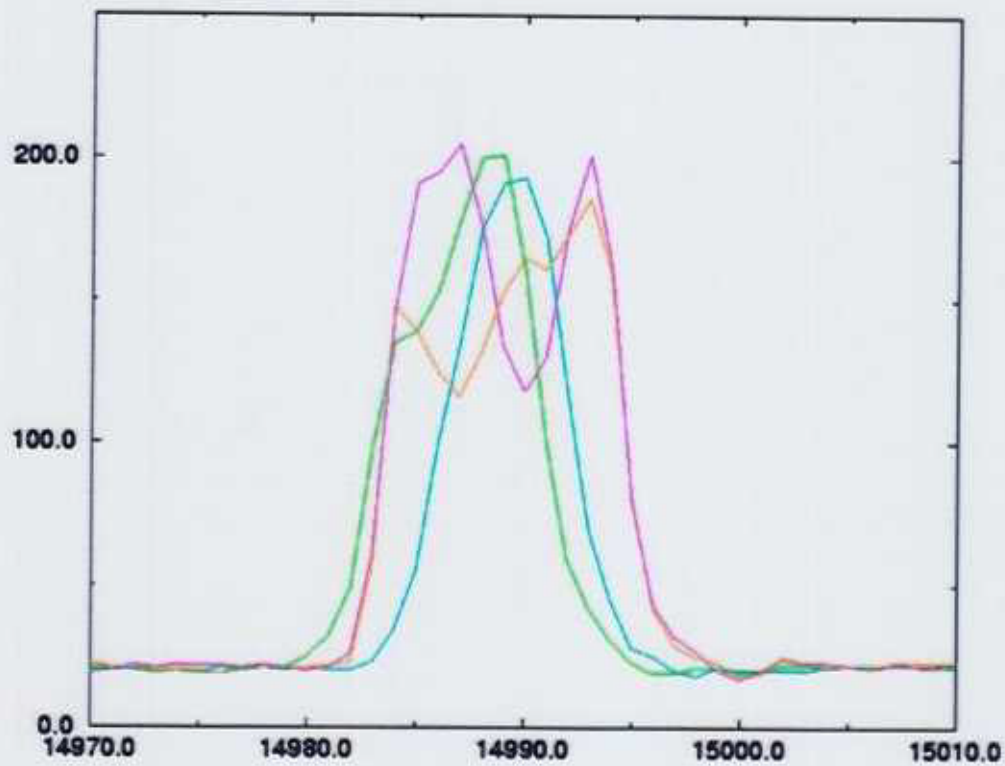


Fig. 1 - Bunch distortion during drifting ($\alpha = 4$) (concentric lines correspond to various bunch sizes)

@ MI Injection (w/o damper)



@MI Injection (with damper)

